



Status of the Metrology Light Source

Ji Li on behalf of MLS machine team

Helmholtz Zentrum Berlin, Germany







- The Metrology Light Source(MLS)
- Problems in operation
- Scientific development
- Upgrade plans









Owned by PTB Run by HZB

Circumference

Revolution time

Injection Energy

Operational Energy

beam current

Momentum Comp. Factor

Emittances at 630 MeV

Typical lifetimes in different operation modes







Homogeneous filling



before 2020: 3 injections / d

after 2020: 2 injections / d





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- $\circ~$ A broken amplifier of the BBFB system in August
 - Symptoms:

Problems

- Beam loss in energy ramp due to instability
- Optimizing parameters of BBFB solved the problem temporarily with unstable beam, but not reproducable
- Output of horizontal amplifier abnormal
- Solutions:
 - Temporarily solved with a spare unit
 - replaced with new amplifiers in Nov. 2022



Courtesy of A. Schälicke









- o Microtron modulator failure in October
 - broken cable in the controller
 - broken capacitors found in IGBT units
 - upgrade in consideration, in comunication with colleagues @ASTRID, Denmark









Successful SSMB PoP experiment @ the MLS





principle of Steady-State MicroBunching(SSMB)

- laser modulator to form optical buckets like RF buckets ٠
- Microbunching for high power + steady state for high repetition rate
- Proposed by A. Chao and D. Ratner ٠
- On-going collarbration: HZB, PTB (Berlin, Germany) and Tsinghua ٠ university, Beijing, China since 2017

Article

Experimental demonstration of the mechanism of steady-state microbunching

https://doi.org/10.1038/s41586-021-03203-0 Received: 27 March 2020

Xiujie Deng¹, Alexander Chao^{2,3}, Jörg Feikes⁴, Arne Hoehl⁵, Wenhui Huang¹, Roman Klein⁵, Arnold Kruschinski⁴, Ji Li⁴, Aleksandr Matveenko⁴, Yuriy Petenev⁴, Markus Ries⁴,

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Check for updates

Chuanxiang Tang¹ & Lixin Yan¹

The use of particle accelerators as photon sources has enabled advances in science and technology¹. Currently the workhorses of such sources are storage-ring-based synchrotron radiation facilities2-4 and linear-accelerator-based free-electron lasers⁵⁻¹⁴. Synchrotron radiation facilities deliver photons with high repetition rates but relatively low power, owing to their temporally incoherent nature. Free-electron lasers produce radiation with high peak brightness, but their repetition rate is limited by the driving sources. The steady-state microbunching15-22 (SSMB) mechanism has





Deng, X., Chao, A., Feikes, J. et al. Experimental demonstration of the mechanism of steady-state microbunching. Nature 590, 576–579 (2021)

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Investigations of longitudinal phase space: coherent signal only in a specific alpha bucket state. Why?

Further experiments for SSMB

Coherent SSMB signal for multiple revolutions \rightarrow Why?

Unexpected dependence of SSMB signal strength to RF cavity voltage:

HZB

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PIB

Courtesy of A. Kruschinski, M. Ries





Courtesy of Arne Hoehl @ PTB





A classical approach when the analytical field representation is unknown: Taylor map \rightarrow Lie map -> factorization-> momonial maps -> explicit symplectic integration

$$\mathcal{M} = e^{:G_2:} e^{:G_3:} e^{:G_4:} e^{:G_5:} e^{:G_6:} e^{:G_7:} e^{:G_8:} e^{:G_9:}$$

Our approach for studying the Robinson wiggler:



4D case: x, px, y, py



fit the Jacobian matrix of second-order monomial maps to the Jacobian matrix of tracking results through the field map





Comparison with other symplectic tracking methods which are based on analytical representation of the magnetic field in the Robinson wiggler



Dynamic aperture with diffusion rate based on

(a) implicit Runge-Kutta integrator (b) Wu-Forest-Robin integrator (c) analytical generating function method (d) monomial map

J. Li. et al. Sympletic tracking methods for insertion devices: a Robinson wiggler example, arXiv preprint arXiv:2210.05345 (2022)







- Collaboration: HZB, ALBA, DESY
- Successful experiments of a prototype at BESSY II
- To improve user operation with better lifetime
- high potential for low alpha and SSMB research
- Ingredient for MLS II



Courtesy of M. Ries









- IOT→ Solid-state Amplifier in April. 2023 for 4 weeks (H. Stein, A. Heugel, B. Schriffer...)
- BPM system upgrade in 2023, turn-by-turn diagnose (G. Rehm...)
- A new EUV beamline for Zeiss in 2023 (PTB EUV group)
- Operation with lower energy 450 MeV to save energy \rightarrow still under discussion







- 800 MeV, 6 straights, at least 2 ID beamlines, top up
- Critical photon energy: 500 eV (down to 3 eV with lower beam energy)
- Circumference not decided yet:
 - 60 m: DBA with 5 straights
 - 90 m: DBA or TBA
 - 120 m: QBA
- Operational modes:
 - Standard user: 200 mA or higher, trade off between lifetime and low emittance
 - SSMB/low alpha: short bunches, good control of higher order alpha
- Design approach: Robust design with optimized performance of nonlinear dynamics
- A dedicated postdoc position filled since September.2022



A preliminary lattice exmaple





Parameters of the MLS II storag	e ring (draft)	
Parameter	Value	
Energy	1.2 GeV	— 800 MeV now
Circumference	132 m	
Harmonic number	220	
Working point (H/V)	11.18 / 3.38	
Natural chromaticities (H/V)	-19.83 / -16.48	
Corrected chromaticities (H/V)	2 / 2	
Radiation loss per turn	58.04 keV	
Damping partition $(H/V/L)$	1.01 / 1.0 / 1.99	
Damping time $(H/V/L)$	18.099 / 18.206 / 9.13	
Natural emittance	7.54 nm	
Natural energy spread	6×10^{-4}	
Momentum compaction	3.21×10^{-3}	
$\beta_x, \beta_y @$ high- β straight section cente	er 8.25 / 3.47 m	
$\beta_x, \beta_y @ \text{low-}\beta \text{ straight section center}$	1.74 / 1.87 m	











Thanks for your attention!

Thanks to all the contributions from HZB and PTB staff !



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$$B_y = \sum_{m,n}^{M,N} C_{mn} \cos(mk_x x + \theta_{mn}) \cosh(k_{y,mn} y) \\ \times \sin(nk_z z + \phi_{mn})$$









$$e^{a:x^{k}p_{x}^{l}y^{m}p_{y}^{n}:x} = \begin{cases} x[1+a(k-l)x^{k-1}p_{x}^{l-1}y^{m}p_{y}^{n}]^{l/(l-k)}, & \text{if } k \neq l \\ xe^{-akx^{k-1}p_{x}^{k-1}y^{m}p_{y}^{n}}, & \text{if } k = l \end{cases}$$

$$e^{a:x^{k}p_{x}^{l}y^{m}p_{y}^{n}:}p_{x}$$

$$=\begin{cases} p_{x}[1+a(k-l)x^{k-1}p_{x}^{l-1}y^{m}p_{y}^{n}]^{k/(k-l)}, & \text{if } k \neq l \\ p_{x}e^{akx^{k-1}p_{x}^{k-1}y^{m}p_{y}^{n}}, & \text{if } k = l \end{cases}$$

$$e^{a:x^{k}p_{x}^{l}y^{m}p_{y}^{n}:}y$$

$$=\begin{cases} y[1+a(m-n)y^{m-1}p_{y}^{n-1}x^{k}p_{x}^{l}]^{n/(n-m)}, & \text{if } m \neq n \\ ye^{-amy^{m-1}p_{y}^{m-1}x^{k}p_{x}^{l}}, & \text{if } m = n \end{cases}$$

$$e^{a:x^{k}p_{x}^{l}y^{m}p_{y}^{n}:}p_{y}$$

$$=\begin{cases} p_{y}[1+a(m-n)y^{m-1}p_{y}^{n-1}x^{k}p_{x}^{l}]^{m/(m-n)}, & \text{if } m \neq n \\ p_{y}e^{amy^{m-1}p_{y}^{m-1}x^{k}p_{x}^{l}}, & \text{if } m = n \end{cases}$$

